

pg. 98 $\textcircled{1}$ ^{n class} 4, 6, 8, 9, $\textcircled{11}$?

3.2 Measures of Variation

Range - difference between the largest and smallest values of the data set

Standard deviation (σ_x ; s_x) measure how the data values differ from the mean.

- low standard deviation indicates the data values are close to the mean
- high standard deviation means the data points are spread out over a large range

Sample standard deviation $s_x = \sqrt{\frac{\sum (x - \bar{x})^2}{n-1}}$

Variance $s^2 = \frac{\sum (x - \bar{x})^2}{n-1}$

What does it mean if two data sets have the same mean but differing standard deviations?
When might this be important? (reliability of consistency)

Population mean $\mu = \frac{\sum x}{N}$

Population standard deviation $\sigma = \sqrt{\frac{\sum (x - \mu)^2}{N}}$

* Pg. 93
explains
N vs n-1

Coefficient of variation (CV) - expresses the standard deviation as a percentage of the mean

$$CV = \frac{s}{\bar{x}} \quad \text{or} \quad CV = \frac{\sigma}{\mu}$$

Sample

population

not dependent on a unit of measure, so
 " CV's of different populations may be compared
 only meaningful with ratios and means
 not equal to zero.

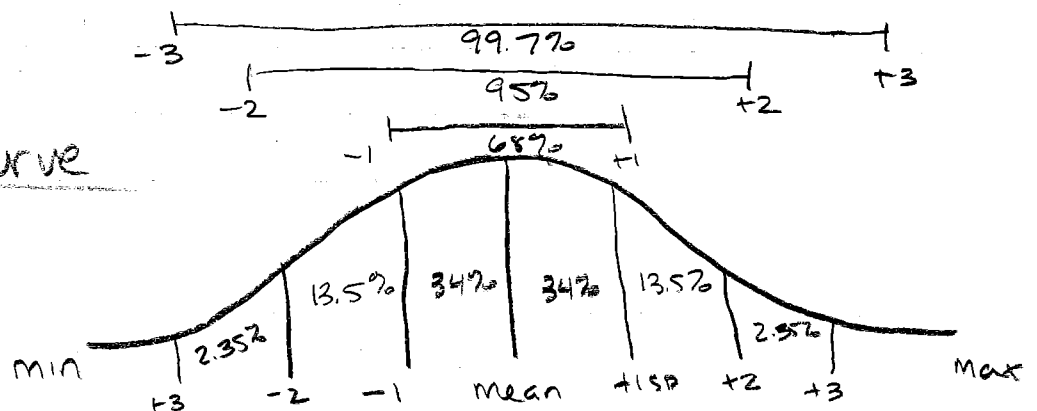
Example 1 # 1

- A) Range: $58 - 4 = 54$ Variance = 225
 Mean: $\frac{251}{12} = 20.917$ Standard dev = $S_x = 15$

B) Coefficient variation = $\frac{15}{20.917} = .717$
 $= \boxed{71.712\%}$

Large CV signifies a large variation in the distribution

Normal Curve



3.2 cont'd

Chebyshev's Theorem

μ = population mean

σ = population SD

75% range $\mu \pm 2\sigma$

88.9% range $\mu \pm 3\sigma$

93.8% range $\mu \pm 4\sigma$

Example 2 (5)

A) Pax World $CV = \frac{11.56}{11.69} = 98.888\%$

Vanguard $CV = \frac{12.5}{5.61} = 222.816\%$

Pax appears to be less risky

B) Pax $11.69 + 2(11.56) = 34.81$

$11.69 - 2(11.56) = -11.43$

Vanguard $5.61 + 2(12.5) = 30.61$

$5.61 - 2(12.5) = -19.39$

Range for Pax appears to be a better fund

Calculator Standard Deviation (wks)

L_1	L_2	L_3	Variance	SD
Data	$L_1 - \bar{x}$	$(L_2)^2$		
$\bar{x} =$	—	$\Sigma =$	$\frac{\Sigma L_3}{n-1}$	$\sqrt{\text{Variance}}$

Skewed data with mean/median

